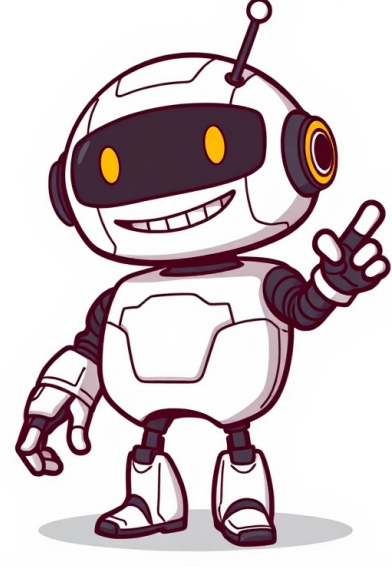


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Algebra is the branch of mathematics that helps in the representation of problems or situations in the form of mathematical expressions. It involves variables like x, y, z, and mathematical operations like addition, subtraction, multiplication, and division to form a meaningful mathematical expression. All the branches of mathematics such as trigonometry, calculus, and coordinate geometry, involve the use of algebra. One simple example of an expression in algebra is $2x + 4 = 8$. Algebra deals with symbols and these symbols are related to each other with the help of operators. It is not just a mathematical concept, but a skill that all of us use in our daily life without even realizing it. Understanding algebra as a concept is more important than solving equations and finding the right answer, as it is useful in all the other topics of mathematics that you are going to learn in the future or you have already learned in the past. What is Algebra? Algebra is a branch of mathematics that deals with symbols and the arithmetic operations across these symbols. These symbols do not have any fixed values and are called variables. In our real-life problems, we often see certain values that keep on changing. But there is a constant need to represent these changing values. Here in algebra, these values are often represented with symbols such as x, y, z, p, or q, and these symbols are called variables. Further, these symbols are manipulated through various arithmetic operations of addition, subtraction, multiplication, and division, with the objective to find the values. The above algebraic expressions are made up of variables, operators, and constants. Here the numbers 4 and 28 are constants, x is the variable, and the arithmetic operation of addition is performed. Branches of Algebra The complexity of algebra is simplified by the use of numerous algebraic expressions. Based on the use and the complexity of the expressions, algebra can be classified into various branches that are listed below: Pre-algebra Elementary Algebra Abstract Algebra Universal Algebra Pre-algebra The basic ways of presenting the unknown values as variables help to create mathematical expressions. It helps in transforming real-life problems into an algebraic expression in mathematics. Forming a mathematical expression of the given problem statement is part of pre-algebra. Elementary Algebra Elementary algebra deals with solving the algebraic expressions for a viable answer. In elementary algebra, simple variables like x, y, are represented in the form of an equation. Based on the degree of the variable, the equations are called linear equations, quadratic equations, polynomials. Linear equations are of the form, $ax + b = c$, $ax + by + c = 0$, $ax + by + cz + d = 0$. Elementary algebra based on the degree of the variables, branches out into quadratic equations and polynomials. A general form of representation of a quadratic equation is $ax^2 + bx + c = 0$, and for a polynomial equation, it is $ax^n + bx^{n-1} + cx^{n-2} + \dots + k = 0$. Abstract Algebra Abstract algebra deals with the use of abstract concepts like groups, rings, vectors rather than simple mathematical number systems. Rings are a simple level of abstraction found by writing the addition and multiplication properties together. Group theory and ring theory are two important concepts of abstract algebra. Abstract algebra finds numerous applications in computer sciences, physics, astronomy, and uses vector spaces to represent quantities. Universal Algebra All the other mathematical forms involving trigonometry, calculus, coordinate geometry involving algebraic expressions can be accounted as universal algebra. Across these topics, universal algebra studies mathematical expressions and does not involve the study of models of algebra. All the other branches of algebra can be considered as the subset of universal algebra. Any of the real-life problems can be classified into one of the branches of mathematics and can be solved using abstract algebra. Algebra Topics Algebra is divided into numerous topics to help for a detailed study. Here, we have listed some of the important topics of algebra such as algebraic expressions and equations, sequence and series, exponents, logarithm, and sets. Algebraic Expressions An algebraic expression in algebra is formed using integer constants, variables, and basic arithmetic operations of addition(+), subtraction(-), multiplication(*), and division(/). An example of an algebraic expression is $5x + 6$. Here 5 and 6 are fixed numbers and x is a variable. Further, the variables can be simple variables using alphabets like x, y, z, or can have complex variables like x^2 , x^3 , xn , xy , x^2y , etc. Algebraic expressions are also known as polynomials. A polynomial is an expression consisting of variables (also called indeterminates), coefficients, and non-negative integer exponents of variables. Example: $5x^3 + 4x^2 + 7x + 2 = 0$. An equation is a mathematical statement with an 'equal to' symbol between two algebraic expressions that have equal values. Given below are the different types of equations, based on the degree of the variable, where we apply the concept of algebra: Linear Equations: Linear equations help in representing the relationship between variables such as x, y, z, and are expressed in exponents of one degree. In these linear equations, we use algebra, starting from the addition and subtraction of algebraic expressions. Quadratic Equations: A quadratic equation can be written in the standard form as $ax^2 + bx + c = 0$, where a, b, c are constants and x is the variable. The values of x that satisfy the equation are called solutions of the equation, and a quadratic equation has at most two solutions. Cubic Equations: The algebraic equations having variables with power 3 are referred to as cubic equations. A generalized form of a cubic equation is $ax^3 + bx^2 + cx + d = 0$. A cubic equation has numerous applications in calculus and three-dimensional geometry (3D Geometry). Sequence and Series A set of numbers having a relationship across the numbers is called a sequence. A sequence is a set of numbers having a common mathematical relationship between the number, and a series is the sum of the terms of a sequence. In mathematics, we have two broad number sequences and series in the form of arithmetic progression and geometric progression. Some of these series are finite and some series are infinite. The two series are also called arithmetic progression and geometric progression and can be represented as follows. Arithmetic Progression: An Arithmetic progression (AP) is a special type of progression in which the difference between two consecutive terms is always a constant. The terms of an arithmetic progression series is a, a+d, a + 2d, a + 3d, a + 4d, a + 5d, Geometric Progression: Any progression in which the ratio of adjacent terms is fixed is a Geometric Progression. The general form of representation of a geometric sequence is a, ar, ar², ar³, ar⁴, ar⁵, Exponents Exponent is a mathematical operation, written as an. Here the expression an involves two numbers, the base 'a' and the exponent or power 'n'. Exponents are used to simplify algebraic expressions. In this section, we are going to learn in detail about exponents including squares, cubes, square root, and cube root. The names are based on the powers of these exponents. The exponents can be represented in the form an = a \times a ... n times. Logarithms The logarithm is the inverse function to exponents in algebra. Logarithms are a convenient way to simplify large algebraic expressions. The exponential form represented as $a^x = n$ can be transformed into the form $x = \log(a)n$, where n = x. John Napier discovered the concept of Logarithms in 1614. Logarithms have become an integral part of modern mathematics. Sets A set is a well-defined collection of distinct objects and is used to represent algebraic variables. The purpose of using sets is to represent the collection of relevant objects in a group. Example: Set A = { 2, 4, 6, 8 } (A set of even numbers). Set B = { a, e, i, o, u } (A set of vowels). Algebraic Formulas An algebraic identity is an equation that is always true regardless of the values assigned to the variables. Identity means that the left-hand side of the equation is identical to the right-hand side, for all values of the variables. These formulae involve squares and cubes of algebraic expressions and help in solving the algebraic expressions in a few quick steps. The frequently used algebraic formulas are listed below. (a + b)² = a² + 2ab + b² (a - b)² = a² - 2ab + b² (a + b)(a - b) = a² - b² (a + b + c)² = a² + b² + c² + 2ab + 2bc + 2ca (a + b)³ = a³ + 3a²b + 3ab² + b³ (a - b)³ = a³ - 3a²b + 3ab² - b³ Let us see the application of these formulas in algebra using the following example. Example: Using the (a + b)² formula in algebra, find the value of (101)². Solution: Given: (101)² = (100 + 1)² Using algebra formula (a + b)² = a² + 2ab + b², we have, (100 + 1)² = (100)² + 2(1)(100) + (1)² (101)² = 10201 For more formulas check the page of algebraic formulas, containing the formulas for expansion of algebraic expressions, exponents, and logarithmic formulas. Algebraic Operations The basic operations covered in algebra are addition, subtraction, multiplication, and division. Addition: For the addition operation in algebra, two or more expressions are separated by a plus (+) sign between them. Subtraction: For the subtraction operation in algebra, two or more expressions are separated by a minus (-) sign between them. Multiplication: For the multiplication operation in algebra, two or more expressions are separated by a multiplication () sign between them. Division: For the division operation in algebra, two or more expressions are separated by a "/" sign between them. Basic Rules and Properties of Algebra The basic rules or properties of algebra for variables, algebraic expressions, or real numbers a, b and c are as given below. Related Topics: Cuemath is one of the world's leading math learning platforms that offers LIVE 1-to-1 online math classes for grades K-12. Our mission is to transform how the children learn math, to help them excel in school and competitive exams. Our expert tutors conduct 2 or more live classes per week, at a pace that matches the child's learning needs. Example 1: Find the value of x in the following equation using the Algebra concepts. $3x + 4 = 28$ Solution: $3x + 4 = 28$ $3x = 28 - 4$ $3x = 24$ $x = 8$ Therefore, the value of x = 8 Example 2: The present age of a person is double the age of his son. Ten years ago, his age was four times the age of his son. Use the concept of algebra and find the present age of the son. Solution: Let us consider the present age of the son as 'x' years. It is given that the age of the person is double the age of his son, so the age of the person is '2x' years. Now considering the situation 10 years ago, the age of the son was (x - 10) years and the age of the person was (2x - 10) years. The question says that 10 years ago the age of the person was 4 times the age of his son. Therefore, this can be expressed as, $2x - 10 = 4(x - 10)$ $2x - 10 = 4x - 40$ $2x - 4x = -40 + 10$ $-2x = -30$ $2x = 30$ $x = 30/2$ $x = 15$ Therefore, the present age of the son is 15 years. Example 3: Five less than a number equals to two. What is the number? Solution: Using the concepts of Algebra, we will assume the number to be a variable. Let the number be x. As per the question, we can write $x - 5 = 2$. On solving this, we get $x = 7$. Therefore, the required number is 7. Show Solution > go to slidego to slidego to slide How can your child master math concepts? Math mastery comes with practice and understanding the Why behind the What. Experience the Cuemath difference. Book a Free Trial Class FAQs on Algebra Algebra is the branch of mathematics that represents problems in the form of mathematical expressions. It involves variables like x, y, z, and mathematical operations like addition, subtraction, multiplication, and division to form a meaningful mathematical expression. How Many Types of Algebra are there? The various types of algebra are elementary algebra, abstract algebra, linear algebra, boolean algebra, and universal algebra. What is Abstract Algebra? Abstract algebra, or modern algebra, is the study of algebraic structures including groups, rings, fields, modules, vector spaces, lattices, and algebras. What is the Highest Level of Algebra? The highest level of algebra involves complex math topics of advanced algebra, such as group theory, ring theory, and field theory. What is the Difference Between Algebra and Geometry? Algebra involves the basic arithmetic operations of addition, subtraction, multiplication, and division within the algebraic expressions. What are the Four Basic Rules of Algebra? The four basic rules of algebra are the commutative rule of addition, commutative rule of multiplication, associative rule of addition, associative rule of multiplication. Commutative rule of addition: a + b = b + a, commutative rule of multiplication: a (b) = b (a), associative rule of addition: a (b + c) = (a + b) + c, associative rule of multiplication: a (b (c)) = (a (b (c))) What is the Fundamental Theorem of Algebra? The fundamental theorem of algebra states that an algebraic expression of n degree has n roots. An algebraic expression of the form f(x) = xn has n roots as answers. What is the Easiest Way to Learn Algebra? The easiest way to learn algebra is to know the three basics of problem representation and solving. First, the problem statement should be represented in the form of a solvable equation. Secondly, the manipulation of the values by moving the numbers across the equals to sign should be performed with ease. Third, arithmetic operations like addition, subtraction, multiplication, and division should be performed proficiently. How is Algebra Used in Daily Life? Algebra helps to find the values of unknown quantities in our daily life. The unknown quantities are represented as variables x, y in the form of an equation. Further, the equations involving arithmetic operations are solved to find the values of those variables. Quantities like speed, time, distance, and currencies can be represented as variables in algebra. How do you Solve Basic Algebra? Solving the algebraic expressions involves three simple steps. First, identify and group the variables of the same kind. Second, bring the variable on one side and the constants on the other side of the equation. Then, bring all the variables of the similar kind together and solve the equation and perform the needed arithmetic operations. What are the Basic Operations in Algebra? The four basic operations in algebra are addition, subtraction, multiplication, and division. Different operators (+, -, *, /) are used to separate different terms to perform these operations among the operands. What are some Basic Algebra Problems? A few basic Algebra problems are listed as follows. $3x = 12$ $x + 4 = 18$ $5x - 3 = x + 5$ In these basic Algebra problems, we need to find the value of x which will solve the equation. So, in $3x = 12$, the value of x will be 4. Similarly, in $x + 4 = 18$, the value of x is 14. In the third problem, $5x - 3 = x + 5$, the value of x will be 2. How do you Solve Simple Algebra Problems? Simple Algebra problems can be solved easily if the algebra concepts are known. For example, if we need to solve the simple equation of $4x = 28$, we need to find the value of x. Here, 4 will be transposed to the right-hand-side of the equation. This will give the value of $x = 28/4 = 7$. What are the Algebra Concepts? The Algebra concepts include many properties. A few of them are listed below. What is the Definition of Algebra? The definition of Algebra states that Algebra is a branch of mathematics that deals with symbols and the arithmetic operations across these symbols. These symbols do not have any fixed values and are called variables. What is the Meaning of Algebra? The word Algebra is derived from an Arabic word, 'Al-jabr' which means the 'reunion of broken parts' and Algebra is considered as the science of restoring and balancing, according to the Persian mathematician, Al-Khwarizmi. Therefore, the meaning of Algebra is finding the unknown, or putting real-life variables into equations in order to solve them. Q1: Simplify the expression $55x^5 - 2y + 3x + 2y587x + 5y2y5x - 7y8xQ2$: If the perimeter of a square is 'p' (cm), then what will be the expression for the length of each side of the square? $4pp - 4p + 4p/Q3$: The value of the expression $5a - 6b$ when $a = 3$ and $b = -2$ is equal to: -69-216921Q4: The algebraic expression $99p - 10q + 3 - 9p55$ is a:MonomialTrinomialQuadrinomialBinomial Algebra is great fun - we get to solve puzzles! A Puzzle What is the missing number? OK, the answer is 6, right? Because $6 \div 2 = 4$. Easy stuff. Well, in Algebra we don't use blank boxes, we use a letter (usually an x or y, but any letter is fine). So we write: It is really that simple. The letter (in this case an x) just means "we don't know this yet", and is often called the unknown or the variable. And when we solve it we write: Why Use a Letter? Because: it is easier to write "x" than drawing empty boxes (and easier to say "x" than "the empty box") if there are several empty boxes (several "unknowns") we can use a different letter for each one So x is simply better than having an empty box. We aren't trying to make words with it! And it doesn't have to be x, it could be y or w ... or any letter or symbol we like. How to Solve Algebra is just like a puzzle where we start with something like "x = 4", and we want to end up with something like "x = 6". But instead of saying "obviously x=6", use this next step-by-step approach: Work out what to remove to get "x = ...". Remove it by doing the opposite (adding is the opposite of subtracting) Do that to both sides Here is an example: We wanto remove the "2" To remove it, dothe opposite, inthis case add 2 Do it to both sides Which is ... Solved! Why did we add 2 to both sides? To "keep the balance". In Balance Add 2 to Left Side Out of Balance! Add 2 to Right Side Also In Balance Again To keep the balance, what we do to one side of the "=" must also do to the other side! Try this yourself at the Algebra Balance Animation. Another Puzzle We want x by itself, but the +5 is in the way. Let's remove it by doing the opposite: let's subtract 5 from both sides. Start with: x + 5 = 12Subtract 5 from both sides: x + 5 - 5 = 12-5 Calculate 5 - 5 = 0 and 12 - 5 = 7x + 0 = 7 Solved! (Check: Does 7 + 5 = 12? Yes!) Try Yourself Now practice on this Simple Algebra Worksheet and then check your answers. Try to use the steps we have shown you here, rather than just guessing! Also try the questions below, then move on to Introduction to Algebra - Multiplication 1725,1726,1727,1728,3135,3136,3137,3138,3850,3851 Copyright 2025 Rod Pierce Algebra, math homework solvers, lessons and free tutors online.Pre-algebra, Algebra I, Algebra II, Geometry, Physics. Created by our FREE tutors. Solvers with work shown, write algebra lessons, help you solve your homework problems. Interactive solvers for algebra word problems. Interactive solvers for algebra word problems. Ask questions on our question board. Created by the people. Can you help? Download Article A quick and easy guide to learning algebra basics Download Article Understanding algebra can seem tricky at first. But if you build up a strong basic knowledge of beginner math facts and learn some of the language of algebra, you can understand it much more easily. The basic steps for solving algebra problems involve performing simple operations in small steps that cancel the original problem. Doing these steps carefully and in order should get you to the solution. Read problem instructions carefully. Look for key words like solve, simplify, factor, or reduce so you know what action to perform. Use the order of operations to solve problems in the proper sequence: Parentheses, Exponents, Multiplication, Division, Addition, Subtraction.Remember that an equation has an equal sign and can be solved. An expression can only be factored or simplified.I read the problem instructions carefully. When you have one or more algebra problems, you must read the instructions carefully. Look for key words in the instructions like solve, simplify, factor, or reduce. These are some of the most common instructions (although there are others that you will learn). Many people have problems because they try to solve a problem when they really only need to simplify it.[1]2Perform the operations that are instructed. When you read the problem instructions, you should identify the key words and then perform those operations. Many people feel frustration with algebra when they try doing something that is not really part of the intended problem. The basic operations you will be asked for are:2[Solve. You will need to reduce the problem to an actual numerical solution, such as x=4. You need to find a value for the variable that can make the problem come true.Simplify. You need to manipulate the problem into some simpler form than before, but you will not wind up with what you might consider an answer. You will probably not have a single numerical value for the variable.Factor. This is similar to simplify, and is usually used with complex polynomials or fractions. You need to find a way to turn the problem into smaller terms. Just as the number 12 can be broken into factors of 3x4, for example, you can factor an algebraic polynomial. For example, a simple expression like $5x^2$ (displaystyle 5x^2) can be broken into factors of $5x$ (displaystyle 5x) and x (displaystyle x). For example, the expression $x^2 + 3x + 2$ (displaystyle x^2+3x+2) can be factored into the terms $(x + 2)$ (displaystyle (x+2)) and $(x + 1)$ (displaystyle (x+1)). Reduce. To reduce a problem generally involves a combination of factoring and then simplifying. You would break the terms of a numerator and denominator into their factors. Then look for common factors on top and bottom, and cancel them out. Whatever remains is the reduced form of the original problem. For example, reduce the expression $6 \times 2 \times 2$ (displaystyle (6\times(2))\times(2)) as follows:1. Factor the numerator and denominator. $(3 \times 2) \times (x) \times (2) \times (x)$ (displaystyle (\frac{3\times2\times x\times 2}{(2)\times(x)}) \times 2. Look for common terms. Both the numerator and denominator have factors of 2 and x.3. Eliminate the common terms: $(3 \times 2) \times (x) \times (x) \times (2) \times (x)$ (displaystyle (\frac{(3)(2)(x)(x)(2)(x))}{(2)(x)}) \times 4. Copy down what remains: $3 \times x$ (displaystyle 3x Advertisement 3Learn the difference between expression and equation. In algebra, the difference between an expression and an equation is very important. An expression is any group of numbers and variables, collected together. Some examples of expressions are x (displaystyle x), $14 \times y \times z$ (displaystyle 14xyz) and $2 \times x + 15$ (displaystyle (\sqrt{2x+15})). All you can do to an expression is simplify or factor it. An equation, on the other hand, contains an = sign. You can simplify or factor equations, but you can also sometimes get a final answer. It is important to look for the difference.If you have an expression, like 4×2 (displaystyle 4\times(2)), you can never find a single answer or solution. 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